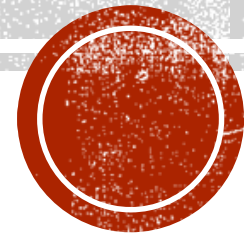


# Why $n - 1$ ?

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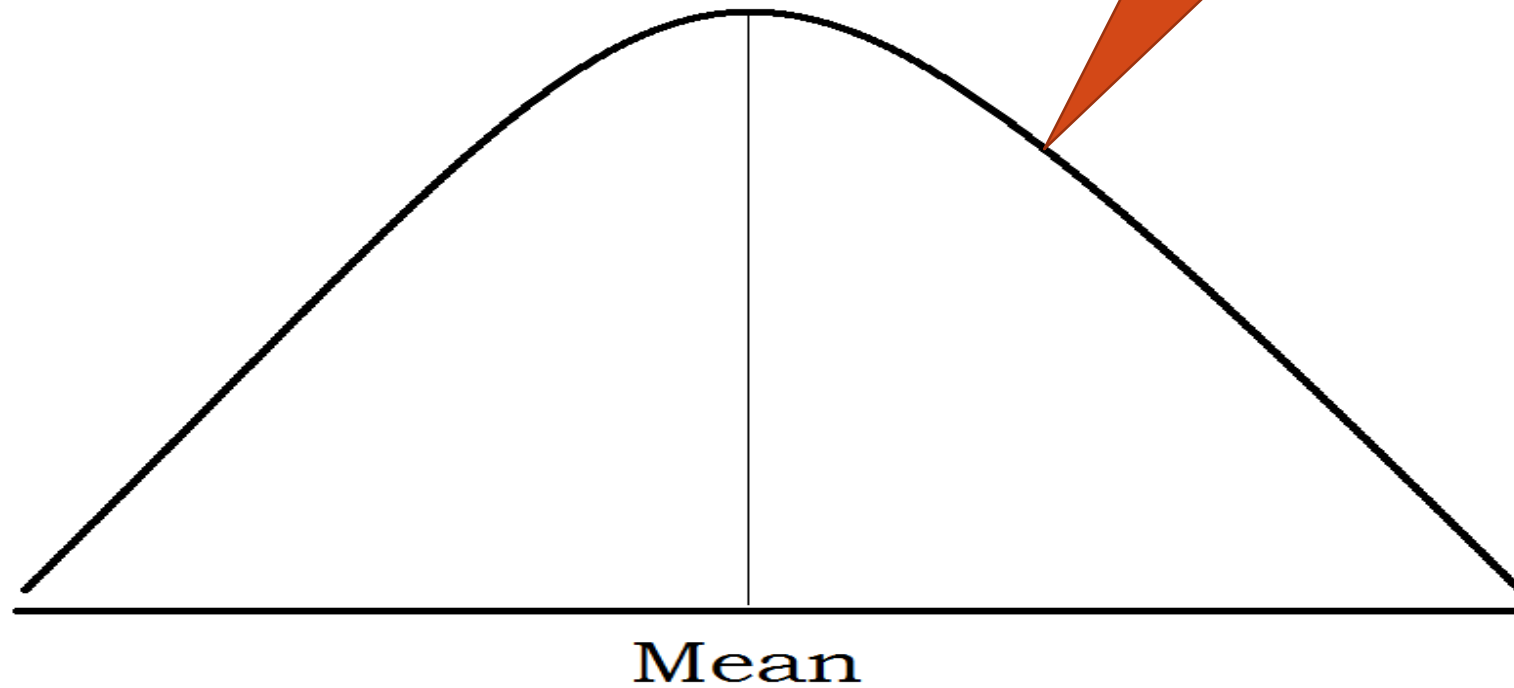
# Why $n - 1$ ?



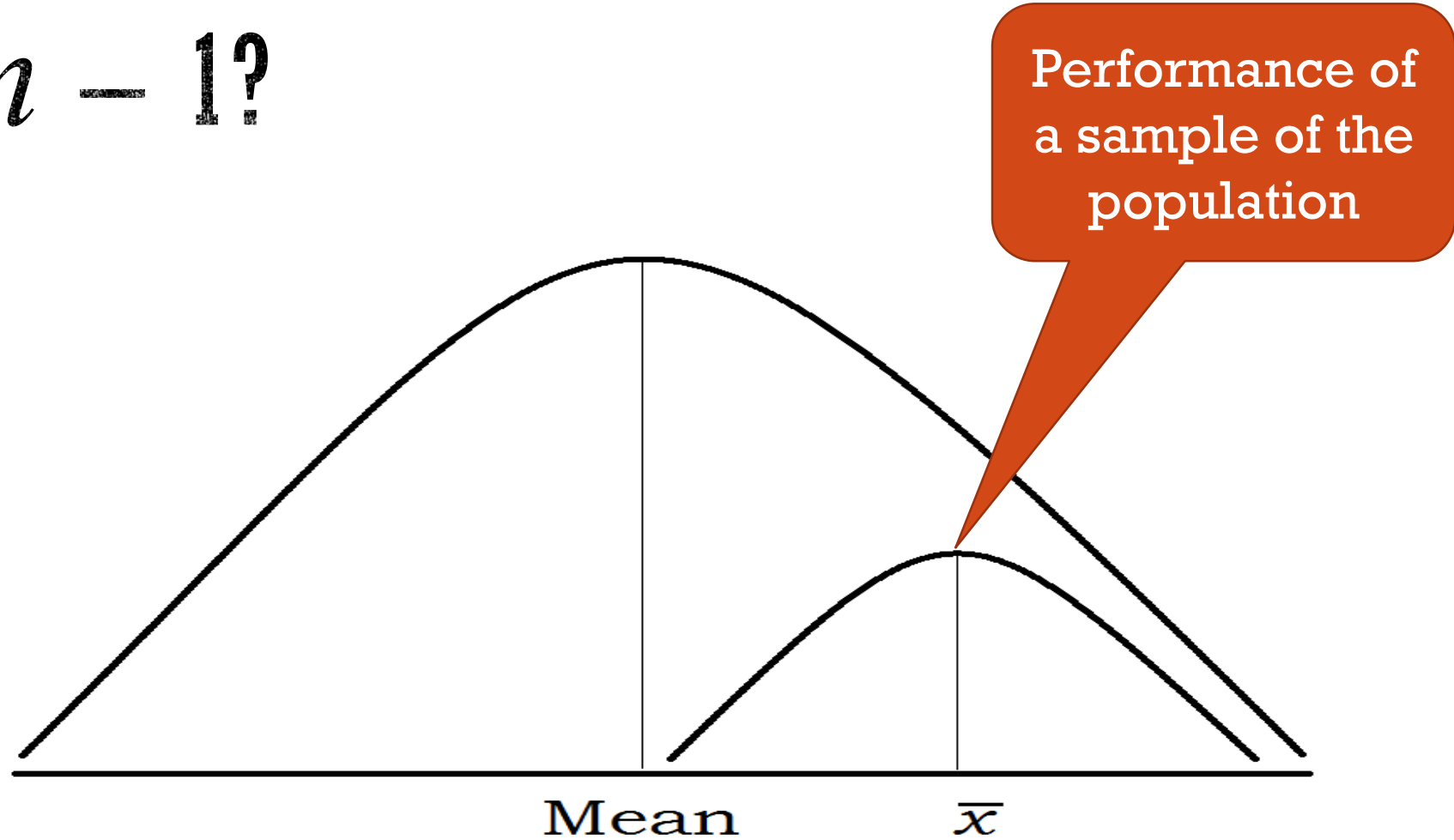
*Why do we use  $n$  in certain calculations and  $n-1$  in other calculations? It can be very confusing!*



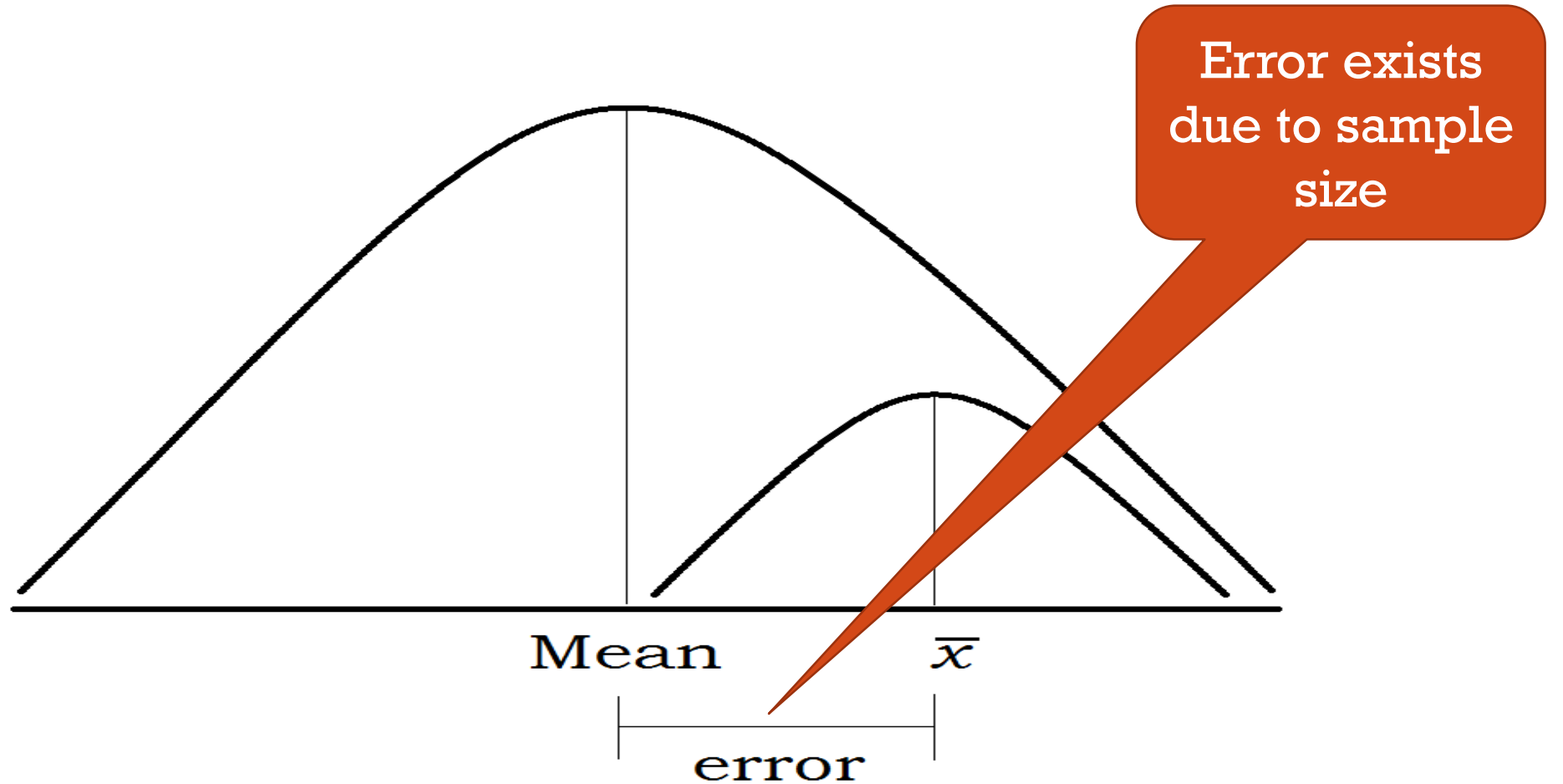
Why  $n - 1$ ?



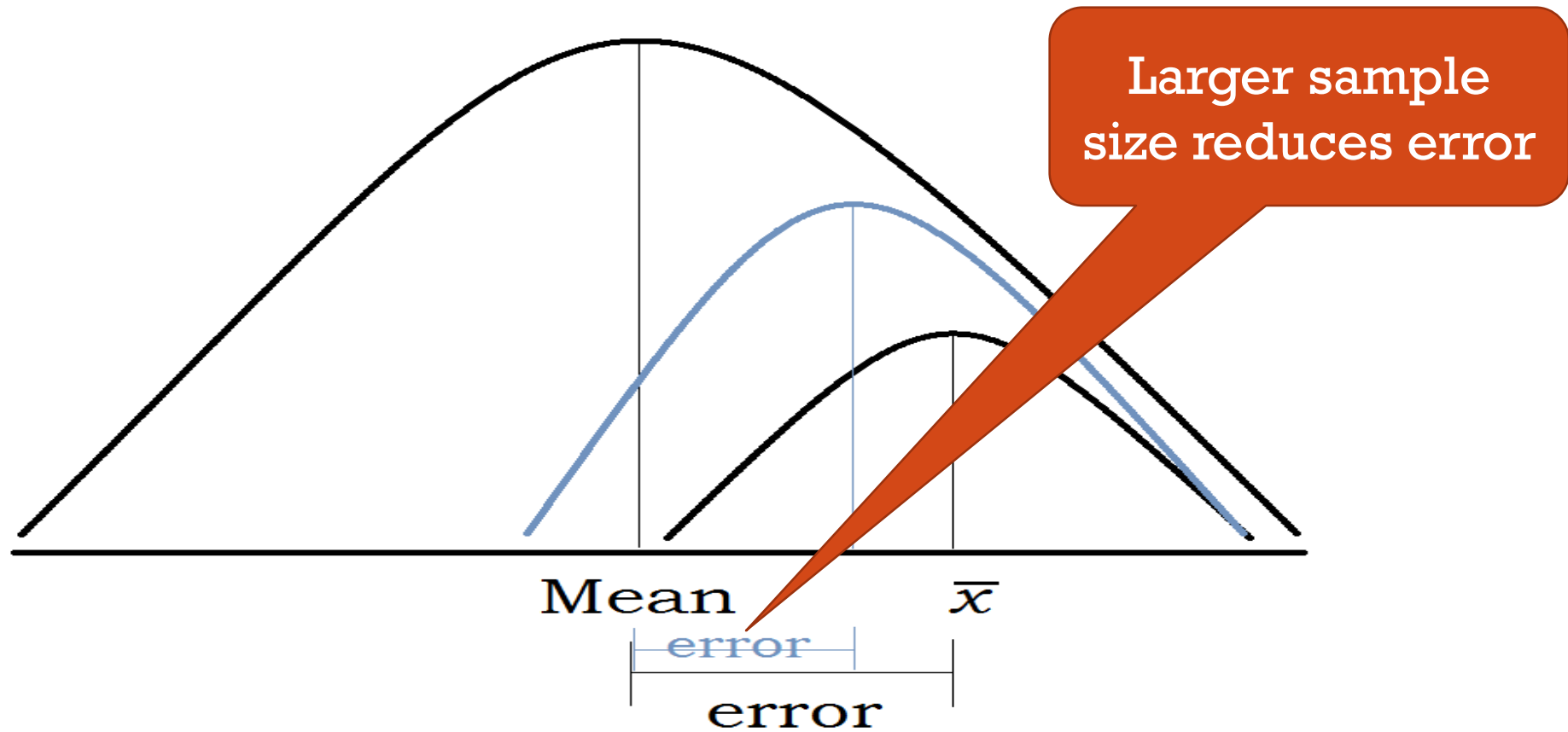
# Why $n - 1$ ?



# Why $n - 1$ ?

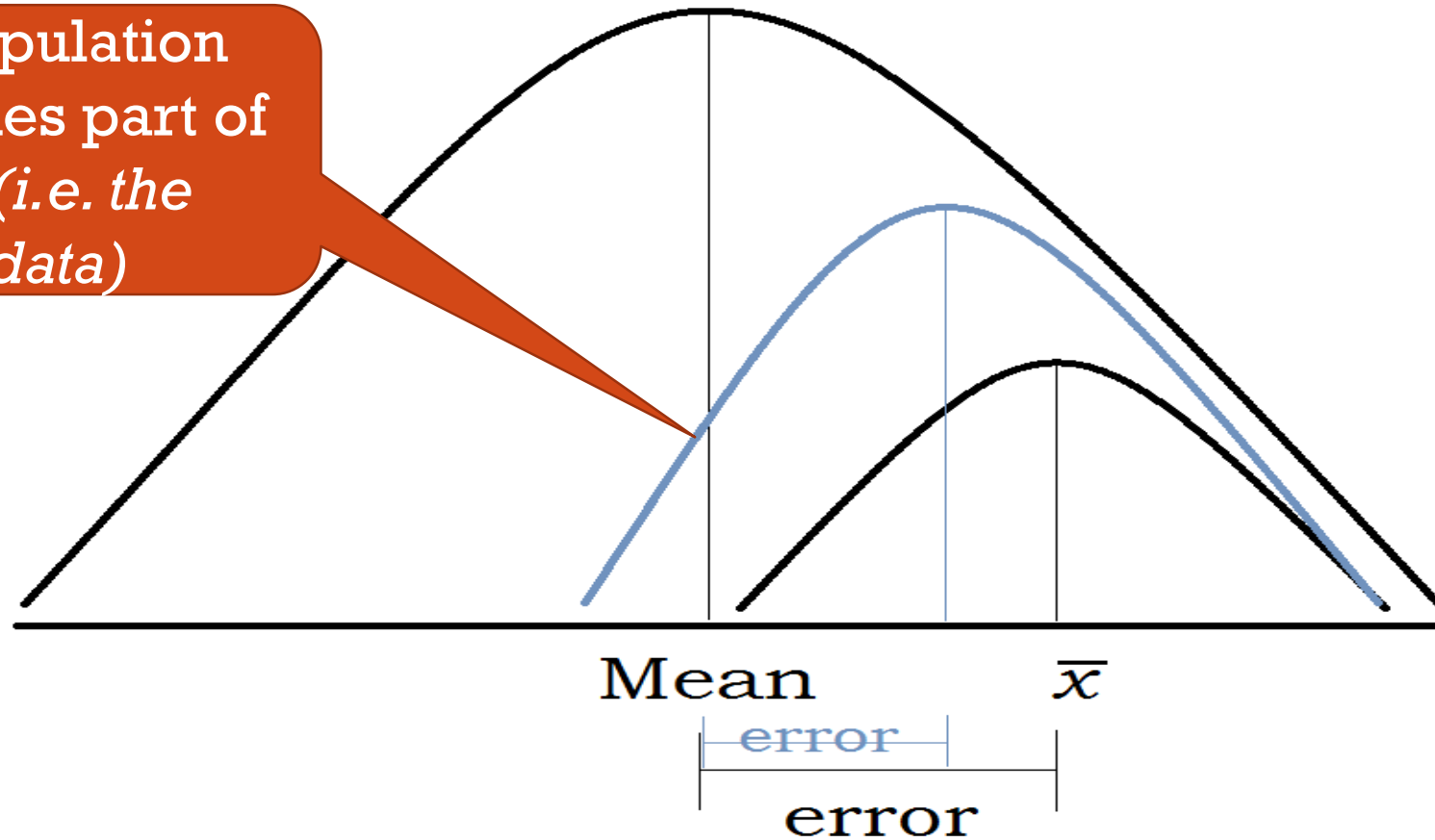


# Why $n - 1$ ?



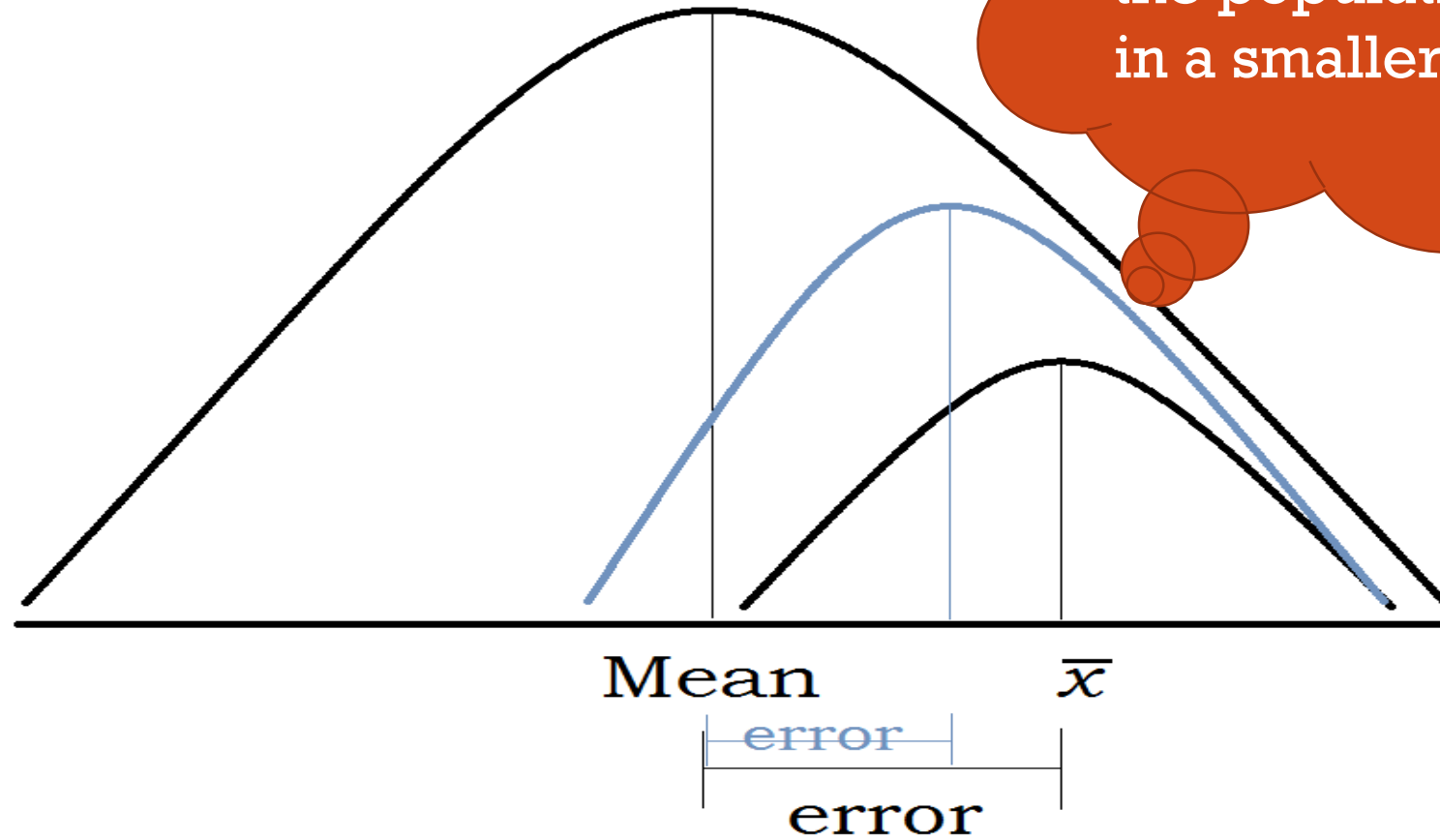
# Why $n - 1$ ?

And, the population mean becomes part of the curve (i.e. the sample data)



# Why $n - 1$ ?

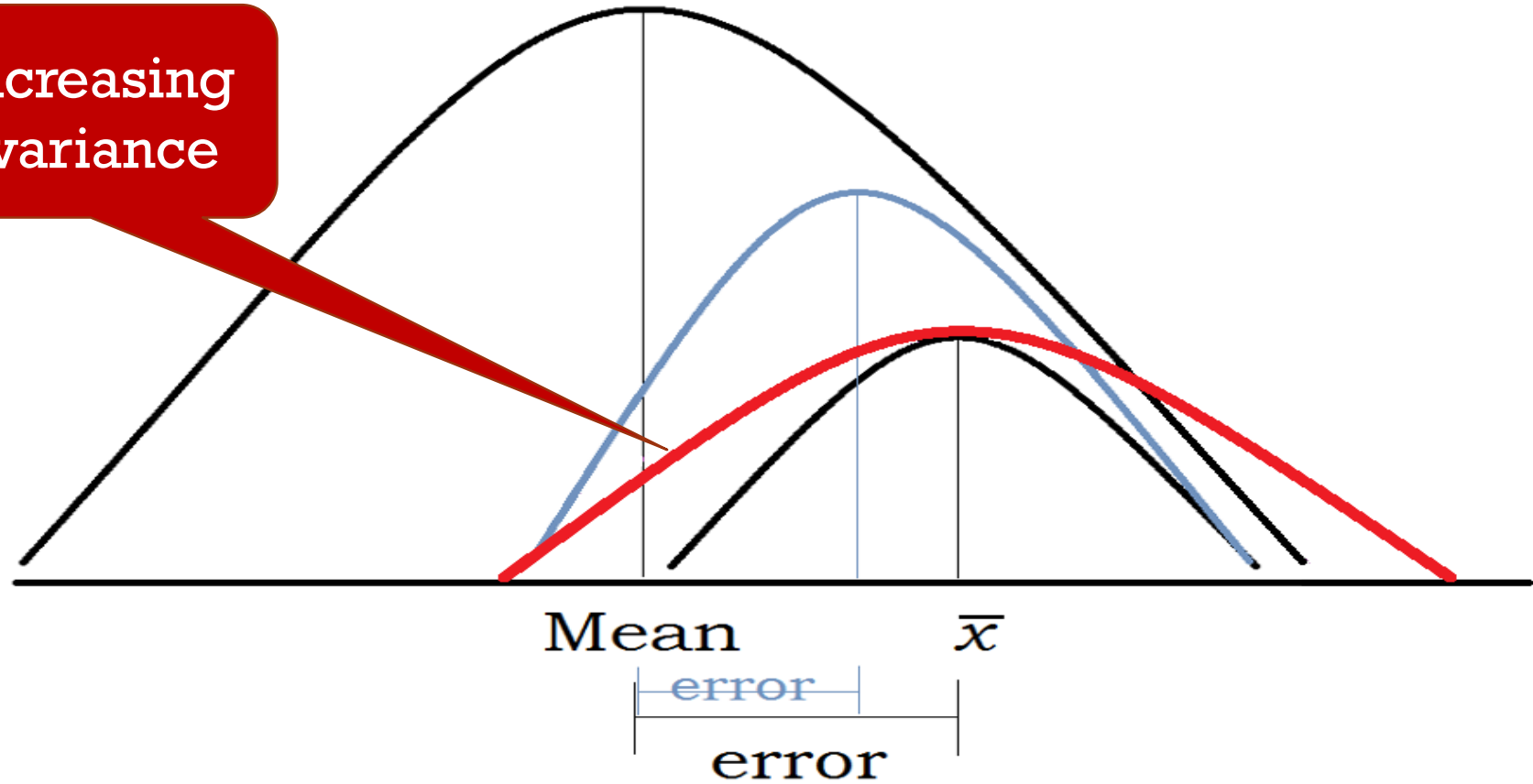
So how can we increase our chances of including the population mean in a smaller sample?





# Why $n - 1$ ?

By increasing the variance



# Why $n - 1$ ?

$$\sigma^2 = \frac{\sum (X - \bar{X})^2}{N}$$

$$s^2 = \frac{\sum (X - \bar{X})^2}{N - 1}$$

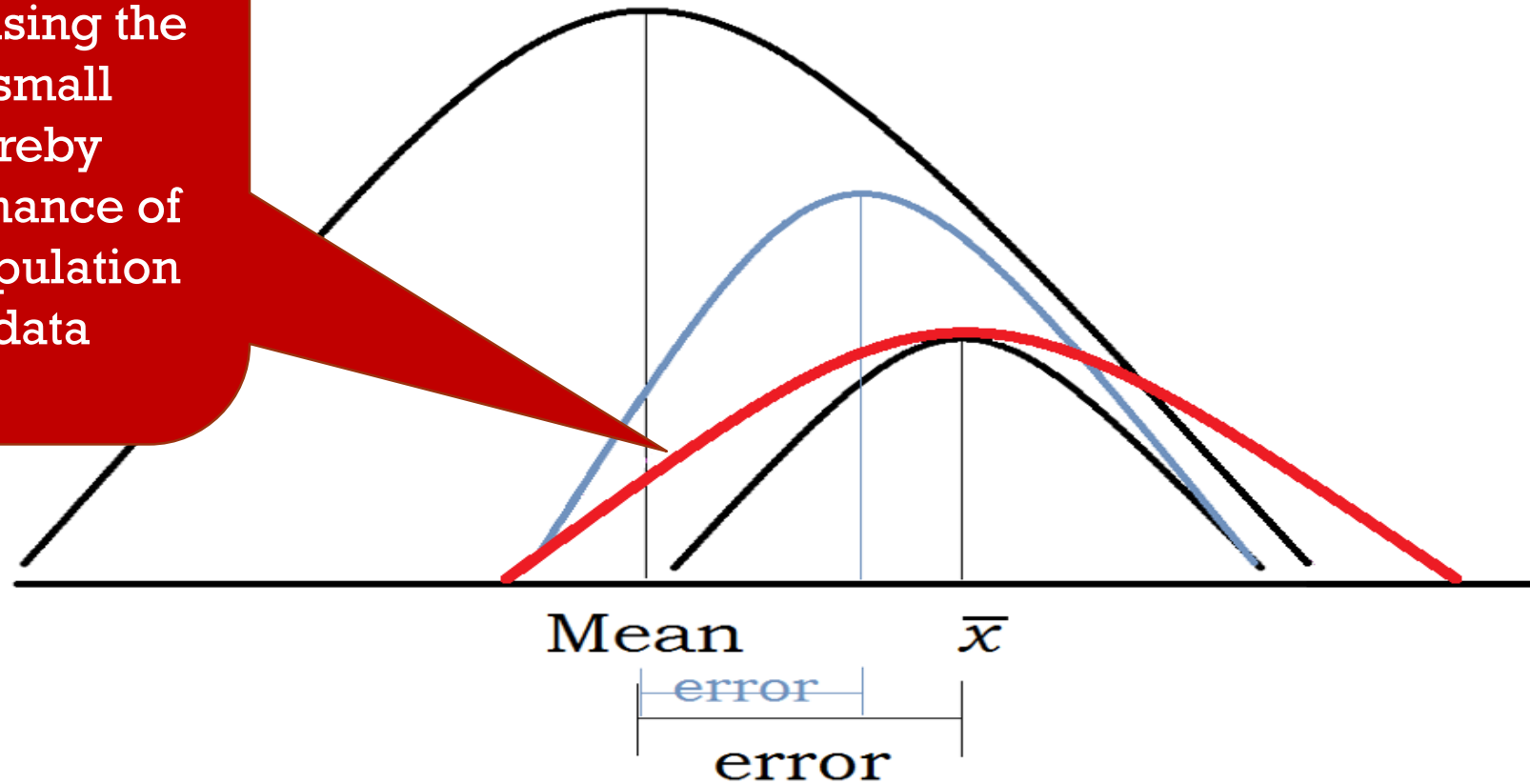
Population & Sample Size	$240 / n$	$240 / (n - 1)$
4	60	80
6	40	48
8	30	34.2
10	24	21.8
20	12	12.6

Assume  $\sum (X - \bar{X})^2 = 240$



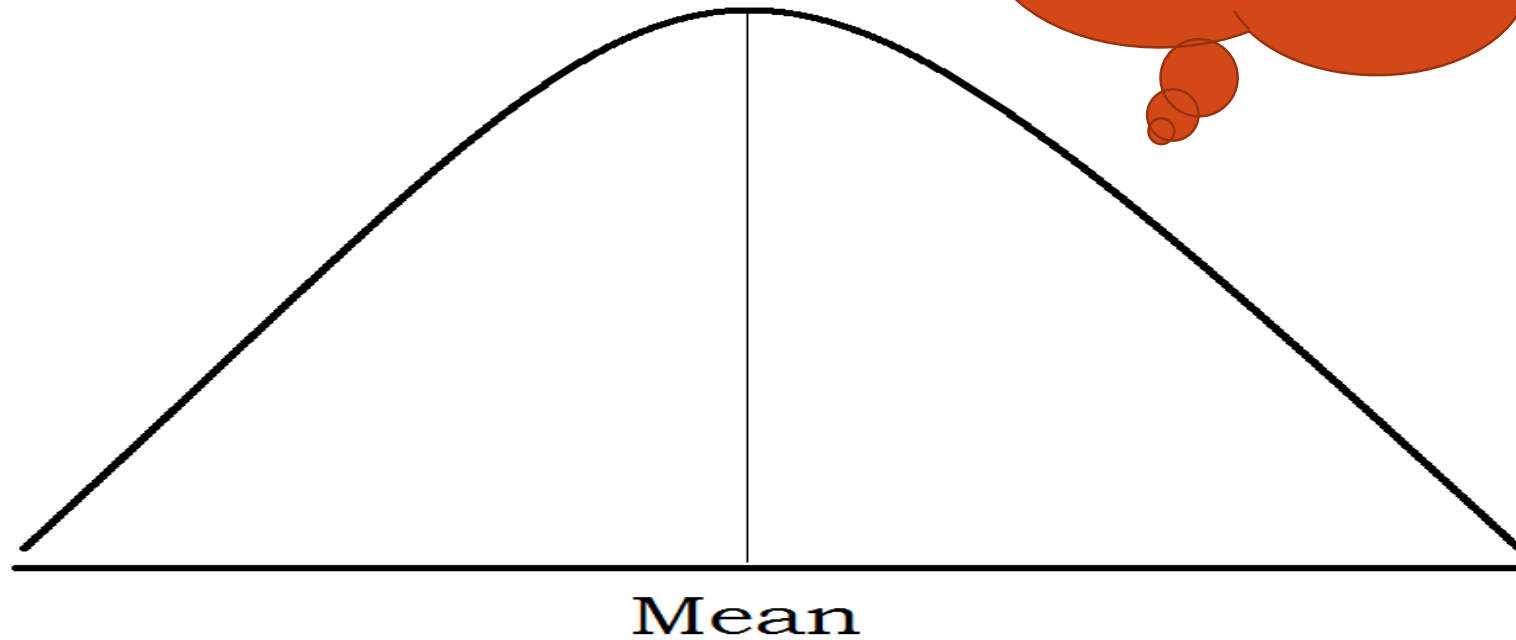
# Why $n - 1$ ?

By using  $n - 1$ , we are effectively increasing the variance (for small samples), thereby increasing our chance of including the population mean in our data



Why  $n - 1$ ?

So why not use  $n - 1$   
for all calculations?



Why  $n - 1$ ?

Because there is no error (*due to sample size*) when analyzing entire population data

