## EUREKA math ${ }^{2-}$

## Module 5 - Lesson 24:

Solve word problems involving volumes of right rectangular prisms.

CCSS Standard - 5.MD.C.5.c

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FLUENCY (10-min)
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## Sprint: Multiply with Decimals

SPRINT: Students write the product to build fluency multiplying with decimals. (PAGE 247)

Write the product.

| 1. | $3 \times 8=$ | 24 |
| ---: | :---: | :---: |
| 2. | $0.3 \times 0.8=$ | 044 |
| 3. | $0.3 \times 0.08=$ | 0024 |

I don't expect you to finish. Do as many problems as you can. Go for YOUR personal best. Take your mark. Get set. Think!

## FLUENCY (10-min)

## Sprint: Multiply with

 DecimalsSprint A - Page 248

## Sprint A $\underbrace{1}_{\text {min }}$

STOP!!

Underline the last problem that you did.
I am going to read the answers. If you got it right, call out "Yes!" If you made a mistake, circle the answer.

Count the number you got correct and write the number at the top of the page.

THIS WILL BE YOUR PERSONAL GOAL FOR SPRINT B


Number Correct:
Write the product.

| 1. | $2 \times 3=$ | 6 |
| :---: | :---: | :---: |
| 2. | $0.2 \times 0.3=$ | 0.06 |
| 3. | $0.2 \times 0.4=$ | 0.08 |
| 4. | $3 \times 4=$ | 12 |
| 5. | $0.3 \times 0.4=$ | 0.12 |
| 6. | $0.3 \times 0.5=$ | 0.15 |
| 7. | $4 \times 7=$ | 28 |
| 8. | $0.4 \times 0.7=$ | 0.28 |
| 9. | $0.4 \times 0.8=$ | 0.32 |
| 10. | $5 \times 6=$ | 30 |
| 11. | $0.5 \times 0.6=$ | 0.30 |
| 12. | $0.5 \times 0.7=$ | 0.35 |
| 13. | $3 \times 6=$ | 18 |
| 14. | $0.3 \times 0.06=$ | 0.018 |
| 15. | $0.3 \times 0.07=$ | 0.021 |
| 16. | $4 \times 8=$ | 32 |
| 17. | $0.4 \times 0.08=$ | 0.032 |
| 18. | $0.4 \times 0.09=$ | 0.036 |
| 19. | $5 \times 8=$ | 40 |
| 20. | $0.5 \times 0.08=$ | 0.040 |
| 21. | $0.5 \times 0.09=$ | 0.045 |
| 22. | $0.09 \times 0.5=$ | 0.045 |



## FLUENCY (10-min)

## Sprint: Multiply with

 DecimalsSprint B - Page 250
Take your mark. Get set. Improve!

## Sprint B $\underbrace{1}_{\text {min }}$

## STOP!!

Underline the last problem that you did.
I am going to read the answers. If you got it right, call out "Yes!" If you made a mistake, circle the answer.

Count the number you got correct and write the number at the top of the page.

Determine your improved score!

Number Correct:
Improvement:
Write the product.

| 1. | $2 \times 2=$ | 4 |
| :---: | :---: | :---: |
| 2. | $0.2 \times 0.2=$ | 0.04 |
| 3. | $0.2 \times 0.3=$ | 0.06 |
| 4. | $3 \times 3=$ | 9 |
| 5. | $0.3 \times 0.3=$ | 0.09 |
| 6. | $0.3 \times 0.4=$ | 0.12 |
| 7. | $4 \times 6=$ | 24 |
| 8. | $0.4 \times 0.6=$ | 0.24 |
| 9. | $0.4 \times 0.7=$ | 0.28 |
| 10. | $5 \times 5=$ | 25 |
| 11. | $0.5 \times 0.5=$ | 0.25 |
| 12. | $0.5 \times 0.6=$ | 0.30 |
| 13. | $3 \times 5=$ | 15 |
| 14. | $0.3 \times 0.05=$ | 0.015 |
| 15. | $0.3 \times 0.06=$ | 0.018 |
| 16. | $4 \times 7=$ | 28 |
| 17. | $0.4 \times 0.07=$ | 0.028 |
| 18. | $0.4 \times 0.08=$ | 0.032 |
| 19. | $5 \times 7=$ | 35 |
| 20. | $0.5 \times 0.07=$ | 0.035 |
| 21. | $0.5 \times 0.08=$ | 0.040 |
| 22. | $0.08 \times 0.5=$ | 0.040 |



## LAUNCH (5-min)

Compare aquariums with different dimensions.

What do you notice about the two aquariums?

Is it possible that the two aquariums hold the same amount of water? Why?

What must be true for the aquariums to have the same volume?

Aquarium A


The aquariums may have different lengths, widths, and heights that could multiply to the same volume.

From this point of view, we can only see 2 of the 3 dimensions (edges). The third dimension (the depth) is not shown.

## Aquarium B



## LEARN (35-min) Fill an Aquarium

Do you need a diagram of a right rectangular prism to determine its volume?
Why?
No! If you are given the prism's length, width, and height, you can determine the volume using the formula $V=I \times w x h$.

## LEARN book page 251:

1. Kelly buys an aquarium that is shaped like a right rectangular prism. The aquarium is 20 centimeters long, 25 centimeters wide, and 30 centimeters tall on the inside.
a. What is the volume of water, in cubic centimeters, that the aquarium can hold?
$\mathbb{V}=\mathbb{L} \mathbb{W} \mathbb{x} \mathbb{H}$

$$
\begin{aligned}
& V=20 \times 25 \times 30 \\
& V=500 \times 30 \\
& V=15,000
\end{aligned}
$$

b. How many liters of water can the aquarium hold?

Remember!
1 cubic centimeter $=1$ milliliter 15,000 cubic $\mathbf{c m}=15,000 \mathrm{~mL}$

15,000 milliliters $=$ $\qquad$ liters
Milliliters are smaller than liters, they are $1 / 1000$ of a liter. We need to divide.

## LEARN (35-min)

## LEARN book page 251.

2. Kelly fills the aquarium with water to a height of 25 centimeters, as shown. How many more milliliters of water does Kelly need to pour into the aquarium to fill it to the top?

## Fill an Aquarium

## THE WHOLE AQUARIUM

$V=20 \times 25 \times 30$ $V=500 \times 30$
$V=15,000$ cublecm


THE EMPTY SECTION
$V=20 \times 25<5$
$V=500 \ll 5$
V $=2,500$ cubic cm
25 cm

Remember!
1 cubic centimeter $=1$ milliliter 2,500 cubic $\mathbf{c m}=2,500 \mathrm{~mL}$

Kelly needs to pour 2,500 milliliters of water into the aquarium.

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LEARN (35-min)
Fill an Aquarium
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When Kelly's aquarium is full, the volume is $\mathbf{1 5 , 0 0 0}$ cubic centimeters or $\mathbf{1 5 , 0 0 0}$ milliliters.


Let's say Kelly drains the aquarium halfway. What would the volume be in cubic centimeters?
$1 / 2$ of 15,000
$1 / 2 \times 15,000$
$15,000 / 2$
7,500 cubic cm

Let's say Kelly drains the aquarium to 1/3.
What would the volume be in cubic centimeters?
$1 / 3$ of 15,000
$1 / 3 \times 15,000$
$15,000 / 3$
5,000 cubic $\mathbf{c m}$

## LEARN (35-min)

Fish are different sizes. Some require less space in an aquarium, and others require more space.

For the type of fish Kelly wants, he needs an aquarium with a volume of 30,000 milliliters (or 30,000 cubic centimeters).

Knowing that the aquarium will be a right rectangular prism, what are the possible length, width, and height dimensions?

We can find factors of 30,000 and decompose those factors into the three dimensions.

## Find Dimensions of an Aquarium

LEARN book page 252.
3. Find the length, width, and height of at least two different right rectangular prisms that each have a volume of 30,000 cubic centimeters.

$$
\begin{gathered}
V=L x W x H \\
30,000=100 \times 300 \\
30,000=20 \times 5 \times 50 \times 5 \\
30,000=20 \times 50 \times 30
\end{gathered}
$$

$$
V=20 \times 50 \times 30
$$

$$
\mathbb{V}=\mathrm{L} \mathbb{X} \mathbb{W} \mathbb{X M}
$$

$$
30,000=400 \times 75
$$

$30,000=80$ x $5 \times 15$ « 5

$$
\begin{gathered}
30,000=80 \times 15 \times 25 \\
V=80 x 15 x 25
\end{gathered}
$$

$\mathrm{V}=\mathrm{L} \mathbb{W} \mathbb{W} \mathbb{K}$
$30,000=200 \times 150$
$30,000=40 \times 5 \times 50 \times 3$ $30,000=40$ x 50 x 15
$V=40 \times 50 \times 15$
$\mathrm{V}=\mathbb{B W} \mathbb{W} \mathbb{H}$
$30,000=250 \times 120$
$30,000=25 \times 10 \times 30 \times 4$
$30,000=25$ x 30 x 40
$\mathrm{V}=25 \times 30$ x 40

## LEARN (35-min)

## Use Volume to Solve Problems

LEARN book page 253.
4. To have enough space for his fish, Blake needs an aquarium that takes up at least 1,000 square centimeters of space. He buys an aquarium that is shaped like a right rectangular prism and is 40 centimeters long, 30 centimeters wide, and 25 centimeters tall.
a. Does the aquarium take up at least 1,000 square centimeters of space? Show how you know.

$$
\begin{gathered}
V=\measuredangle<\mathbb{W} \approx \mathbb{M} \\
\mathbb{V}=\mathbf{4 0} \approx \mathbf{3 0}<25 \\
\mathbb{V}=\mathbf{1 , 2 0 0} \approx 25 \\
\mathbb{V}=30,000
\end{gathered}
$$

b. Blake pours 24 liters of water into the aquarium. How many milliliters of water does he pour into the aquarium?
$1 \mathrm{~L}=1,000$ minililiters

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LEARN (35-min)
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## LEARN book page 253.

c. What is the height of the water in centimeters?

$$
\begin{aligned}
& V=\mathbb{V} \mathbb{W} \times \mathbb{N} \\
& V=40 \times 30 \times 25 \\
& V=1,200 \times 25 \\
& \mathbb{V}=\mathbf{3 0 , 0 0 0}
\end{aligned}
$$

The entire aquarium (when full) holds 30,000 milliliters (or 30,000 cubic centimeters) of water.

In part B, Blake poured 24,000 milliliters into the aquarium. The question is asking the height of the water now.

24,000 = 40 x $30 \times \mathbf{H}$ $\mathbf{2 4 , 0 0 0}=1,200 \times \mathbf{H}$ 24,000 / $1,200=\mathbb{H}$ $20 \mathrm{~cm}=\sharp$

We know the volume is $24,000 \mathrm{~mL}$ in the tank. The BASE cannot change. It remains 40 by 30, or 1,200 cubic cm.
The formula requires us to calculate for the height. We need to divide the volume by the base to determine the height.

## LEARN (35-min)

## Problem Set

LEARN book page 255.

1. The juice box shown is in the shape of a right rectangular prism. Match each situation to the expression that represents it.


The only dimension that changes is the height. The base of the juice box carton does not change, only the height of the juice as it is consumed. Volume of the box is different than volume of the juice in the box.

Please Notice This


## LAND (10-min)

## Exit Ticket

Exit Ticket - PAGE 259

## Small Group Time: <br> Problem Set Pages 255-258

## Homework:

Page 153 APPLY BOOK

2. The inside of a fish tank that is shaped like a right rectangular prism is 20 centimeters long, 20 centimeters wide, and 25 centimeters tall.
a. What is the volume of the inside of the tank in cubic centimeters?
b. How many liters of water does the tank hold?

