

### Nanoscale heat transport



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## Energy conversion efficiency in solid state materials across length scales



Accurate measurement of **heat flux** and energy **conversion efficiency** in solid state materials across length scales

- Energy transport and dissipation in materials at the micronanoscale are key to
- Direct Energy conversion: thermoelectric, electrocaloric, photovoltaic,...
- High current-density devices: power electronics or emerging logic devices



SPM measurement of transport properties at the nanoscale Cuenat et al, Nanotechnology 23 045703 (2012) We are developing new traceable **nanoscale methods** to measure materials properties that link directly to **power conversion** in devices

Accurate characterisation of thermoelectric generators up to 900K

### **Performance improvement in TE**





Most of current improvement comes for thermal conductivity reduction

# Heating in current-carrying nanostructures



The basic problem of thermoelectricity is the following:

"Given a system consisting of one or several chemical phases and having a specified temperature distribution, it is required to determine the electronic electrochemical potential at any and all points within the system as well as at points in the immediate surroundings of the system." Domenicali RMP 1954

We are not alone to have this problem

## **A Brief History**



1958: First integrated circuit
 Flip-flop using two transistors
 From Texas Instruments

1985 ARM1
 25'000 transistors
 3'000 nm process

2016 Intel 22 Core Xeon Broadwell
 7.2 billion transistors
 14 nm process







Source Texas Instruments



Source visual6502

#### Where Does the Heat Come From?





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#### **Power Dissipation: Transistor → CPU**





Single Transistor

x 1,000,000,000 Transistors?





#### **Power Density vs. Critical Dimension**

E. Pop, *Nano Research* 3, 147 (2010) W. Haensch, *IBM J. Res. Dev*. 50, 339 (2006) R. Cavin, *J. Nanoparticle Res.* 8, 841 (2006)

## **More on Chip-Level Complexity**







3-D integrated circuits = the ultimate density limit

How do we get the power in? How do we take the heat out?

#### **Metrology for manufacturing 3D stacked integrated circuits**

EMPIR – Industry June 2015-May2018

3D-devices will combine logic, memories, imagers and MEMS from different wafers of various foundries using different manufacturing processes optimized at the right node.

 Traceability of the measurement and standardization will be mandatory

Devices are "stacked" and connected with Through Silicon Vias (TSV) Increased integration, means

- Increase Cu resistivity (smaller grains)
- Increase heat (higher current density)
- Larger Thermomechanical stress



#### European Industrial Roadmap 2014



NPL will develop tools to measure energy dissipation with better lateral resolution, better accuracy and develop new procedures for conformity assessment at the wafer level



# Heating in current-carrying nanostructures

## Question 1: how is a local temperature defined and calculated?

Question 2: how is a heat defined?

#### Surface temperature measurement

- 'Surface' is an infinitely thin boundary between two objects
- No 'system' into which a thermometer can be immersed
- Does 'surface temperature' exist?
- What do you actually want to know?

## **Key equations**



- All three partial errors are proportional to heat flux that flows up the probe due to the temperature gradient from object to probe
- If the heat flux is reduced, the measurement error is reduced

'surface loading'

'contact resistance'

'probe resistance'

L. Michalski, K. Eckersdorf, J. McGhee, Temperature Measurement, John Wiley & Sons, New York and London, 1991 pp 317-350.

$$\Delta T_{1} = -\frac{R_{T}}{\lambda_{b}} F_{m}(q_{T})$$

$$\Delta T_{2} = -W_{C}(q_{T})$$

$$\Delta T_{3} = -\frac{L}{\lambda_{T}}(q_{T})$$

#### **Thermally-compensated probe**





B.D. Foulis, in "Industrial measurements with very short immersion", J.P. Tavener, D. Southworth, D. Ayres, N. Davies <a href="http://www.isotech.co.uk/files/document\_library\_file-11.pdf">http://www.isotech.co.uk/files/document\_library\_file-11.pdf</a>

## How do we measure temperature



- Resistance
- Thermocouples
- Coulomb blockade
- MEMS based resonator quality factor
- Fermi-level shift
- Themochromic liquid crystals
- Infrared thermography
- Fluorescence
- Thermoluminescence
- Thermoreflectance
- Raman,

Near-field scanning optical or thermal microscopy

## Lock-in infrared thermography



#### **Measurement capabilities**

- Traceable temperature measurement
- mK change sensitivity
- Environmental enclosure with temperature control
- Capture rate up to 1.2 kHz





## **Scanning Thermal Microscopy**



- A thermal sensor is mounted on a force sensitive cantilever and a feedback loops is used to maintain a constant tip-surface force while scanning
  - Cantilever deformation bimorph effect
  - Thermal Drift and convection too slow to be a problem
- Thermal conduction = Thermal Transfer of heat through a material not involving mass transfer or emission of electromagnetic radiation
- Thermal conduction between the tip and the sample, change the temperature of the sensor



# SThM Standard: carbon fibres in polymer matrix



Topography

Tip Voltage



## Limitations



- So far mostly "limited" to materials with low thermal conductivity 0.1 < κ< 1 W/(m K)</li>
  - Good for some polymers and thermoelectric !
  - Too low for semiconductors and metals, need to extend the range
- Heat transfer between the tip and the sample, change the temperature of the sensor
- Need to predict thermal resistance of nanosized contact

### **Transport regime in STM**



#### Estimation of tip-sample contact radius

Derjaguin, Muller, Toporov approximation Derjaguin et al J. Colloid Interface Sci. 53, 314 (1975)

$$(\frac{3 r_{tip} (F + 2\pi w r_{tip})}{4E^*})^{1/3} = a_{DMT}$$

R<sub>tip</sub> is measured by SEM,
W the work of adhesion extracted from force-curve,
F the contact force is directly measured
E\* the effective Poisson's ratio can be estimated using nano-indentation

For Bi<sub>2</sub>Te<sub>3</sub> the contact radius is approximately:

 $a_{DMT} = 5 \text{ nm}$  for platinum tip  $a_{DMT} = 15 \text{ nm}$  for diamond tip



Transition between ballistic (Sharvin) and diffusive (Maxwell) regime Nikolic and Allen, PRB 60,3963 (1999)

#### Conclusions



While the materials maybe different, the measurands : heat dissipated in current carrying semiconductor is identical to IT and consumer electronics sector

Take home message: Energy transport at the nanoscale is not obviously defined Anisotropy matters

