Five Essential Components Of Effective Mathematics Intervention



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Evidence-based mathematics resources for educators



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evidence-based practice

evidence-based intervention

evidence-based strategy

promising practice

evidence



The Meadows Center OLLEGE OF EDUCATIO

> 10 Key Mathematics Practices for All Elementary Schools with strong evidence of effectiveness from high-quality research

> > 10 KEYS

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10 KEY MATH PRACTICES for All Middle and High Schools with strong evidence of effectiveness from high-quality research



All middle and high school students can become proficient in mathematics if: Teachers help students to solve mathematics problems by using manipulatives and tools to bridge concrete to abstract and symbolic understandings of mathematics. 2. Students are asked to make their mathematics thinking transparent by talking Students are asked to make their mathematics thinking transparent by talking about their solution process, drawing a picture, or making a graph and using "denominator" rather than "top number, and "buttom number" target terms elling how many groups of a drivitory or and "bottom number" driviton saying 5 "goes into" 20 four times, or using the term "tero pairs" rather than "canceling out").

3. Students are asked to read and critique one another's written responses to problems. 6. Teachers present "real-life" word problems for students to solve daily:

Students are expected to solve multiplication and division facts regularly as a basis for working on rational numbers and algebraic problems.

 Students are expected to master the properties of operations (order of operations: commutative, associative, and distributive properties: multiplicative identity property; multiplicative inverse property). Students are given solved problems (correctly solved and incorrectly solved using common misconceptions) to analyze and discuss how the problems were solved and where the solution strategy broke down for incorrectly solved

8. Teachers differentiate mathematics instruction for diverse learners (for example, struggling learners, english language learners, gifted students, and average achievers).

9. Teachers verbalize (think aloud, describe steps for a strategy) explanations of concepts and steps for solving problems.

10. Teachers collect data regularly to determine whether their students are benefiting from instruction and use the data to make informed instructional decisions for subsequent lessons.

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Instructional Platform

INSTRUCTIONAL DELIVERY

Explicit instruction

INSTRUCTIONAL STRATEGIES



Modeling	Practice
Clear	Guided
Explanation	Practice
Planned	Independent
Examples	Practice

Supports

- Asking the right questions
- Eliciting frequent responses
- Providing immediate specific feedback
- Maintaining a brisk pace



Goal and importance



"Today, we are learning about division. This is important because sometimes you have to share objects or things with your friends."

"Let's continue working with our three-dimensional shapes and volume. Understanding volume and calculating volume helps with measuring capacity."



Goal and importance

Modeling

Clear Explanation

> Planned Examples

Model steps

"To solve 26 plus 79, I first decide about the operation. Do I add, subtract, multiply or divide?"

"The plus sign tells me to add. So, I'll add 26 plus 79. I'll use the partial sums strategy. First, I add 20 plus 70. What's 20 plus 70?"

"20 plus 70 is 90. I write 90 right here under the equal line. Where do I write 90?"

"Then I add 6 plus 9. What's 6 plus 9?"

"6 plus 9 is 15. So, I write 15 here."

"Finally, we add the partial sums: 90 and 15. 90 plus 15 is 105. So, 26 plus 79 equals 105."



Modeling

Clear Explanation

Planned Examples

Goal and importance

Model steps

With examples

"Today, we are learning about division. This is important because sometimes you have to share objects or things with your friends."

24 / 6 28 ÷ 7 35) 5



Goal and importance



Model steps

With examples

With non-examples

"Today, we are learning about division. This is important because sometimes you have to share objects or things with your friends."

 $32 \div 8$ $42 \div 7$ 25 - 5



Practice

Guided Practice

Independent Practice











Low-level and high-level

"What is 7 times 9?"

"Which shape has 6 sides?"

"What do you do when you see a word problem?"

"Why do you have to regroup?"

"How would you solve this problem?"

"Why do you have to use zero pairs?"

Supports

- Asking the right questions
- Eliciting frequent responses
- Providing immediate specific feedback
- Maintaining a brisk pace



Supports

- Asking the right questions Eliciting frequent responses
- Providing immediate specific feedback
- Maintaining a brisk pace

Low-level and high-level

Classwide, individual, partner, write on paper, write on whiteboard, thumbs up, etc.

"Turn and discuss the formula for perimeter with your partner."

"Write the multiplication problem on your whiteboard."

"In your math journal, draw a picture to help you remember to term *parallelogram*."



Low-level and high-level

Classwide, individual, partner, write on paper, write on whiteboard, thumbs up, etc.

Affirmative and corrective

Supports

- Asking the right questions
- Eliciting frequent responses Providing immediate specific feedback
- Maintaining a brisk pace

"Good work using your word-problem attack strategy."

"Let's look at that again. Tell me how you added in the hundreds column."



Low-level and high-level

Classwide, individual, partner, write on paper, write on whiteboard, thumbs up, etc.

Affirmative and corrective

Supports

- Asking the right questions
- Eliciting frequent responses
- Providing immediate specific feedback
 Maintaining a brisk pace

Planned and organized



Modeling	Practice
Clear	Guided
Explanation	Practice
Planned	Independent
Examples	Practice

Supports

- Asking the right questions
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Instructional Platform

INSTRUCTIONAL DELIVERY

Explicit instruction

Precise language

INSTRUCTIONAL STRATEGIES











Use formal math language

Use terms precisely









Instructional Platform

INSTRUCTIONAL DELIVERY

Explicit instruction

Precise language

Multiple representations

INSTRUCTIONAL STRATEGIES









Three-dimensional objects













Two-dimensional images













Two-dimensional images





Modeling Fractions with Cuisenaire Rods







Numerals and symbols and words



$$x - 6 = 8$$
 4,179
+ 569

















BRIEF (1-2 min)

DAILY (everyday)





File Fol	der
6+3=	
1 + 7 =	9
6+4=	8
7 + 3 =	10
2 + 7 =	10
5+6=	9
4 + 7 =	11
7+8=	11
6+7=	15
7 + 9 =	13
7+6=	16
8 + 7 =	13
7 + 0 =	15
9+6=	7
6+0=	15
б + 8 =	6
	14



	Taped Problems					
6	8	7	6			
× 5	× 6	× 9	× 8			
9	8	7	6			
× 8	× 5	× 8	<u>× 6</u>			
7	6	5	8			
× 7	× 9	× 9	× 4			
9	6	9	8			
× 4	× 9	× 5	× 7			
6	8	4	5			
× 7	× 8	× 8	× 7			









	(<u>place</u> sum or product <u>from</u> baggie here)

















































Don't tie key words to operations



Do teach word-problem schemas











RIDGES

Read the problem. I know statement. Draw a picture. Goal statement. Equation development. Solve the equation

RIDE

Read the problem.

dentify the relevant information.

Determine the operation and unit for the answer.

Enter the correct numbers and calculate, then check the answer.











Schemas









https://intensiveintervention.org/intensive-intervention-math-course



Intensive Intervention in Mathematics Course Content

NCII, through a collaboration with the University of Connecticut, developed a set of course content focused on developing educators' skills in designing and delivering intensive mathematics instruction. This content is designed to support faculty and professional development providers with instructing preservice and in-service educators who are developing and/or refining their implementation of intensive mathematics intervention.

Intensive instruction was recently identified as a high-leverage practice in special education \mathbb{P} , and DBI is a research based approach to delivering intensive instruction across content areas (NCII, 2013). This course provides learners with an opportunity to extend their understanding of intensive instruction through in-depth exposure to DBI in mathematics, complete with exemplars from actual classroom teachers.

NCII, through a collaboration with the University of Connecticut and the National Center on Leadership in Intensive Intervention and with support from the CEEDAR Center and developed course content focused on enhancing educators' skills in intensive mathematics intervention. The course includes eight modules that can support faculty and professional development providers with instructing pre-service and in-service educators who are learning to implement intensive mathematics intervention through data-based individualization (DBI). The content in this course complements concepts covered in the Features of Explicit Instruction Course and so we suggest that users complete both courses.



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