

# Risk of thyroid cancer following $^{131}\text{I}$ exposure in childhood – *Belarus/Russia/EU/IARC case-control study*



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# Number of cases and controls interviewed by region

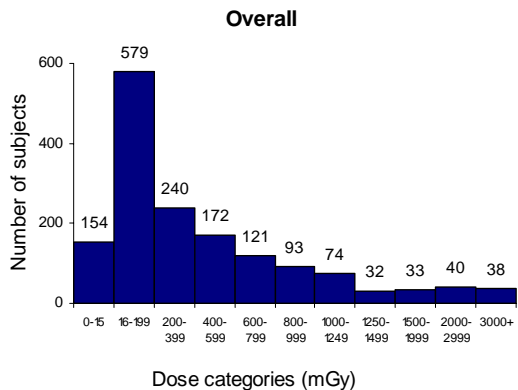
Status	Belarus		Russian Federation				Total
	Gomel	Mogilev	Bryansk	Kaluga	Orel	Tula	
No. of cases	188	32	11	10	18	17	276
No. of controls	877	167	49	39	87	81	1300
Age at exposure (cases only)							
<2 y	69	10	4	1	1	2	87
2-4 y	59	8	3	2	3	5	80
5-9 y	45	3	2	4	6	6	66
10-14 y	15	11	2	3	8	4	43
Sex (cases only)							
Boys	74	7	6	4	6	5	102
Girls	114	25	5	6	12	12	174

*Note: results presented here are for subjects aged < 15 ATA – in Russia  
about 30 additional cases were also interviewed who were 15-18 ATA*

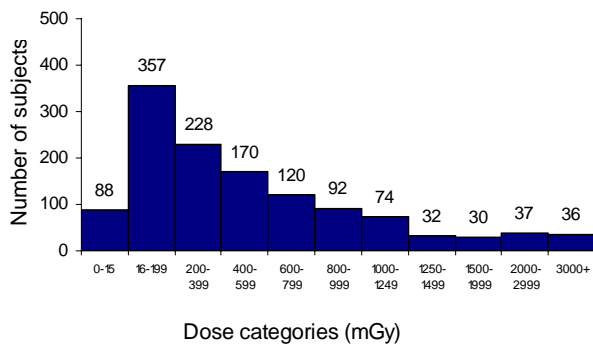


center  
in epi  
epi

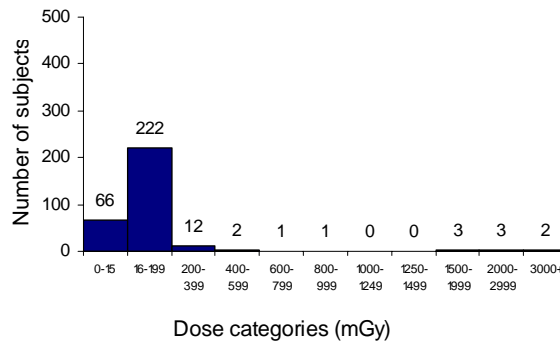
# Total thyroid dose among study subjects (mGy)



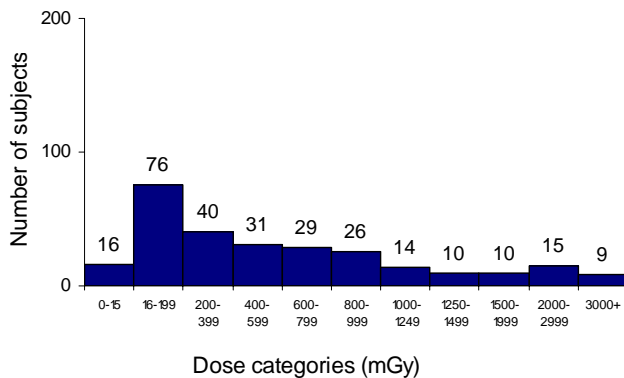
**Belarus - all study subjects**



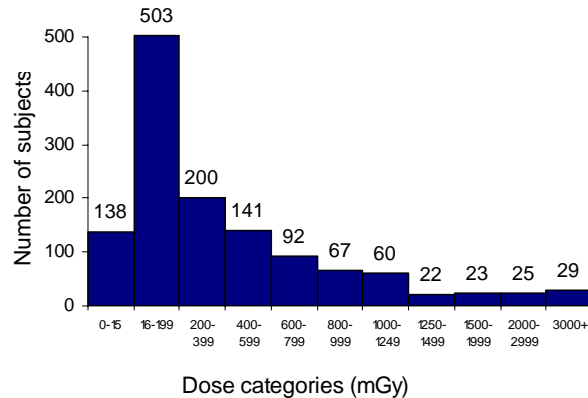
**Russia - all study subjects**



**All cases - both countries**



**All controls - both countries**





# Thyroid dose distribution (mGy)

		Median	Maximum
I-131	Belarus	355.7	9 528
	Russia	39.4	5 257
Short-lived	Belarus	1.6	534
	Russia	0.1	26
External	Belarus	2.4	98
	Russia	0.9	31
Long-lived	Belarus	1.2	42
	Russia	0.4	12
Total	Belarus	365.4	10 163
	Russia	40.4	5 314



# Analyses

## ● Main analyses

- Conditional logistic regression
- Adjustment for confounders
  - ✓ By stratification
- Effect modification
  - ✓ Modelled as interaction
  - ✓ Likelihood ratio test to evaluate significance
- Reference dates for controls: date of diagnosis of matched case

*... all time-dependent variables calculated up to reference date*



# Analyses (cont'd)

## ● Main analyses

➤ Log-linear risk model:  $OR = \exp [\beta * f(d)]$

... also ERR model:  $OR = 1 + \beta * f(d)$

➤ Main dose-response analyses

✓ Continuous exposure measures

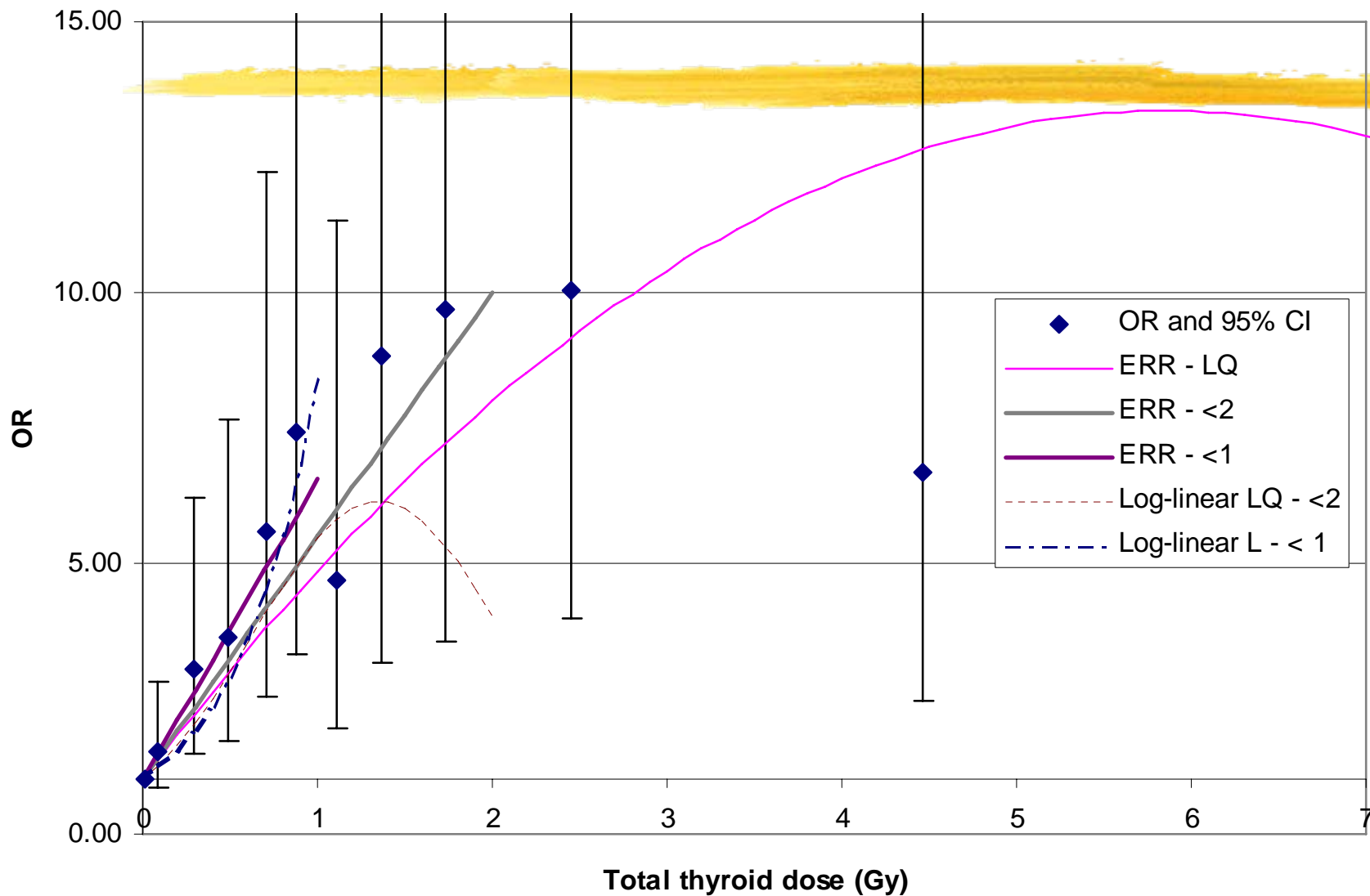
- Departures from linearity explored with polynomials

✓ Lag of doses – 5 years (long lived isotopes, external)

✓ Risk estimates – MLE ; Confidence intervals: likelihood-based ; p-values: 2-sided



# Summary of dose-response relationship

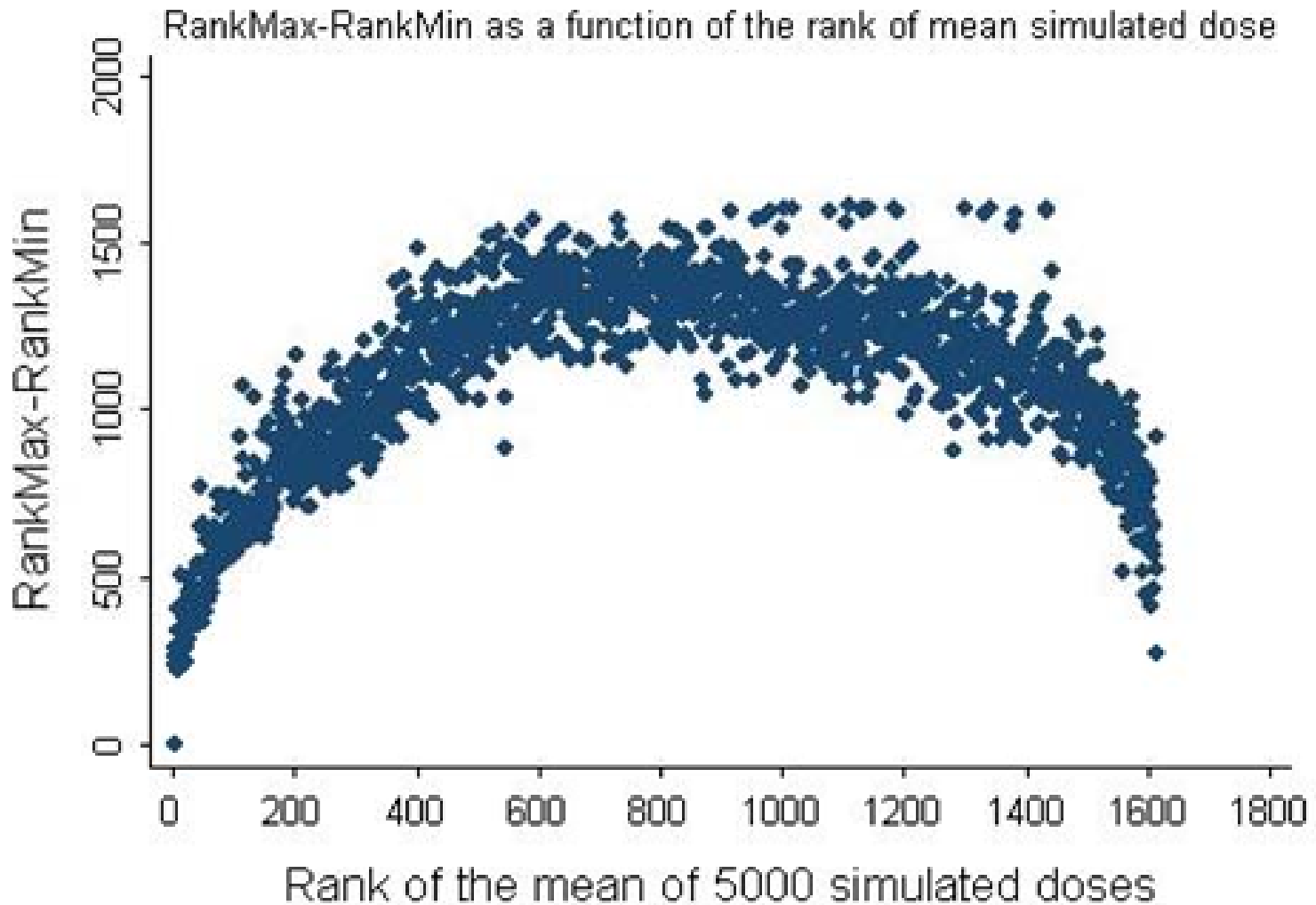






# Approach for taking into account uncertainties

- Initial proposal – MCML method we have used before (*Stayner et al 2008*)
  - X thousand realisations of the doses taking into account (in a 2 stage fashion) the shared and unshared errors





# Approach for taking into account uncertainties

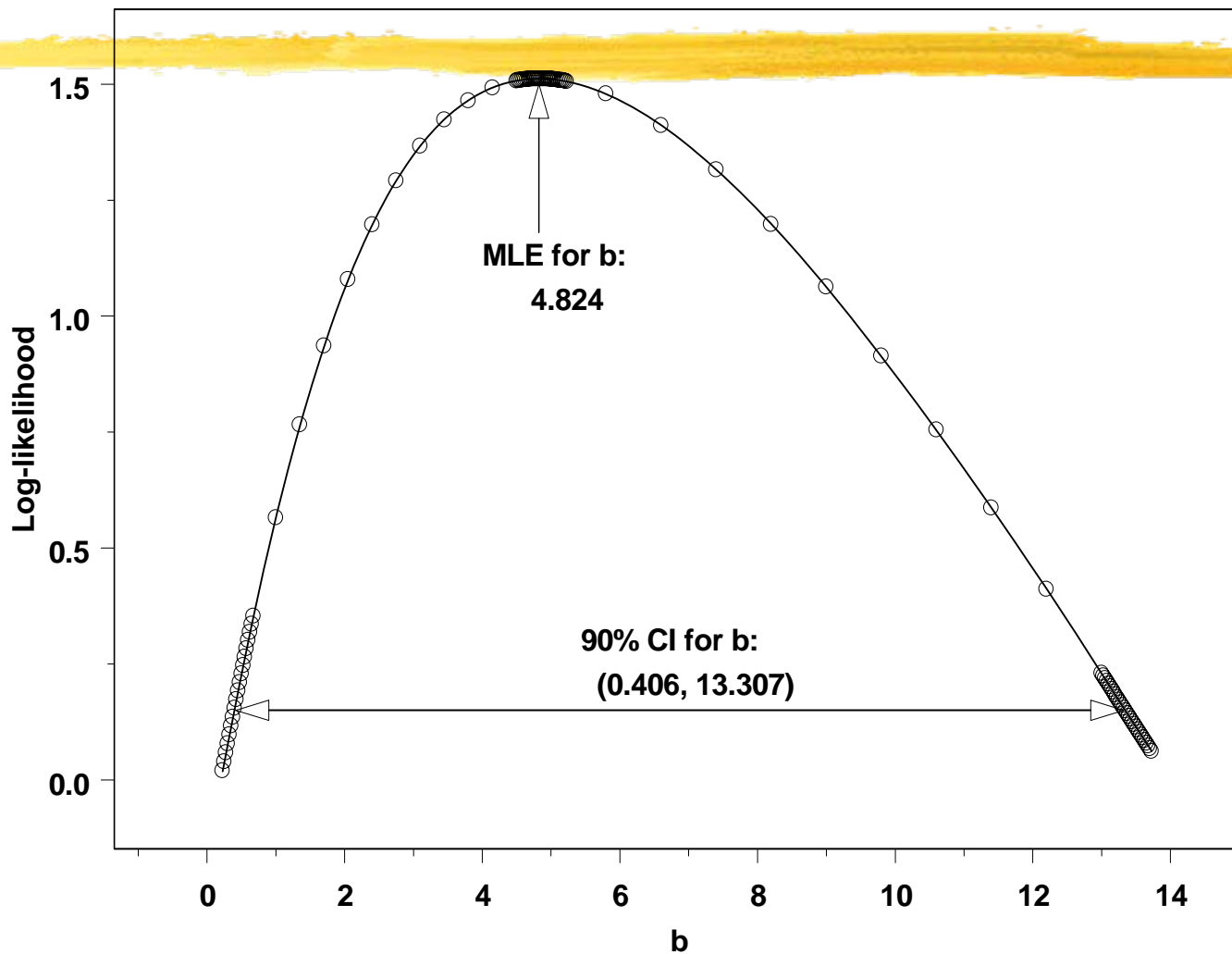
## • Initial proposal – cont'd

⇒ X thousand data sets –

- ✓ Derive the profile likelihood for each
- ✓ Average the profile likelihoods over all the realisations
- ✓ Obtain the MLE and 95% CI



**Figure 3: Profile likelihood, MLE and 90% CI for b from the 10,000 simulations**





# Problems

## ● Dose-response is not linear ...

- Depending on scale, the best fitting polynomial is either L-Q or L-Q-C ....
  - ✓ Calculate and maximise profile likelihoods on 2,3 or more dimensions ...Not easy !
  - ✓ Or restrict analyses to subjects in dose-range where linear ...
    - But subjects will change between simulations
- The shape of the best fitting dose-response may actually vary in the different realisations
- The magnitude and possibly the shape of the dose response may be influenced by modifiers (ID)...

# Solution – choice of dose responses

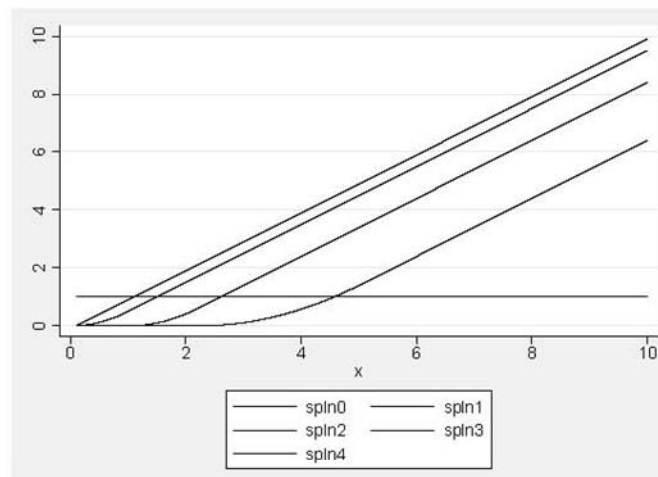
- Objective

- Use all the data
  - Avoid imposing a dose-response function that may not fit the data well
- ... and polynomials can provide very poor fit at extreme values, since data at small doses can strongly influence the predicted value at large doses*

*The work presented here is being conducted by Graham Byrnes (IARC)*

## Natural Quadratic Splines

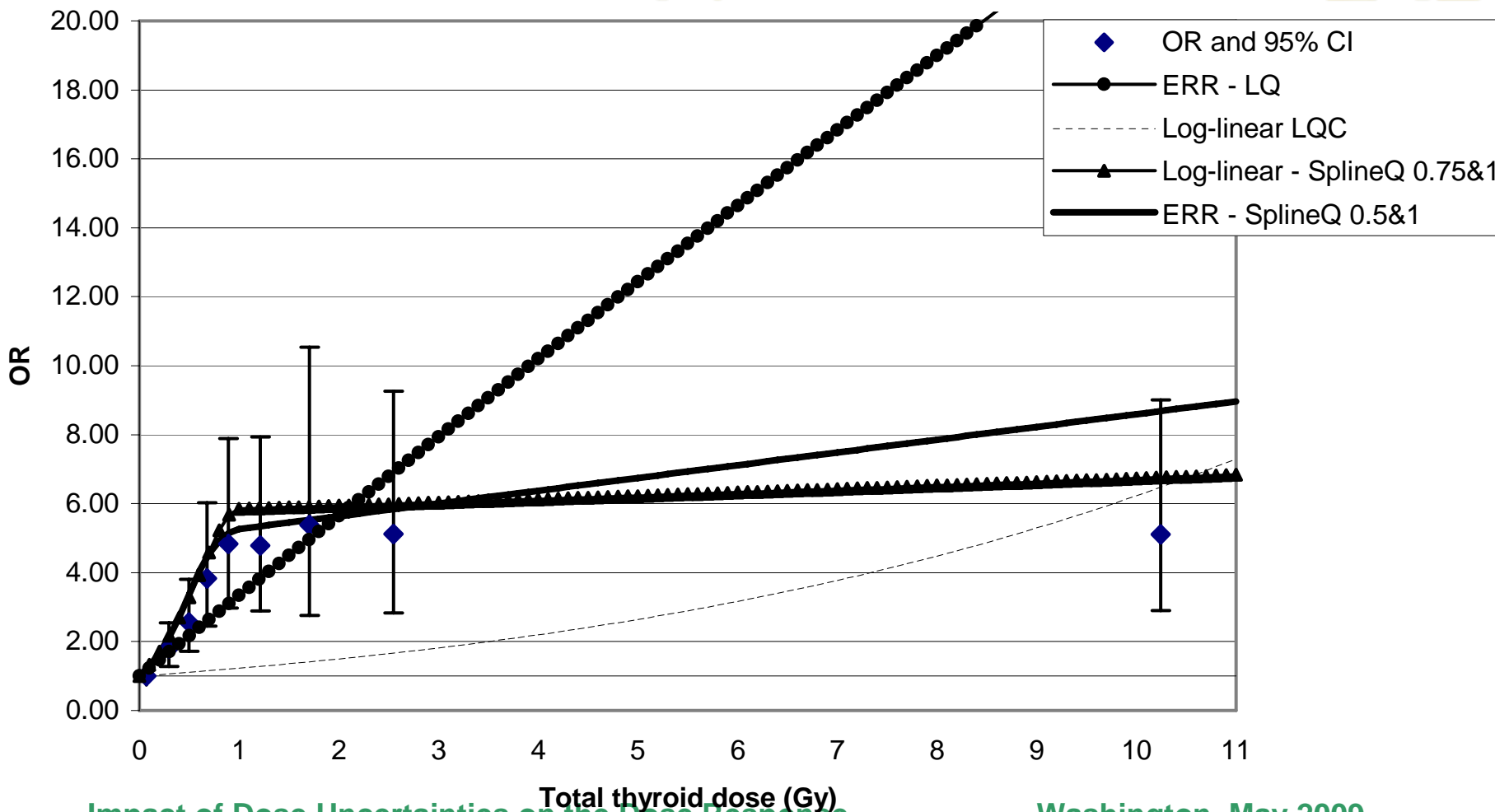
Any linear combination of the  $S_i$  will have continuous first derivatives





*Seem to predict qualitatively similar response curves  
regardless of the regression framework (ie logistic vs  
linear ERR, log-transformed or raw dose).*

**All studies**





# Solution - averaging of k-dimensional likelihood

- As an alternative method for k parameters (after trying a lot of things):
  - use the inverse Hessian at the MLE to obtain a preliminary variance-covariance matrix  $V$  ;
  - apply a coordinate transform (orthogonal transform followed by scaling) to map  $V$  to the identity matrix;
  - Define a  $(k - 1)$ -sphere in these coordinates, centered at the MLE, with radius  $\Phi^{-1}(1 - \alpha/2)$ . Conventionally, this would define the boundary of the 95% confidence set;
  - distribute points uniformly on the surface of the sphere (deterministically for  $k \leq 2$ , at random for  $k \geq 3$ );
  - adjust the radial position of each point, via 1-d Newton's method (with jump size limited to half or double the current radius) to achieve the appropriate difference of likelihood relative to the MLE.



# Parameter space to envelope of curves

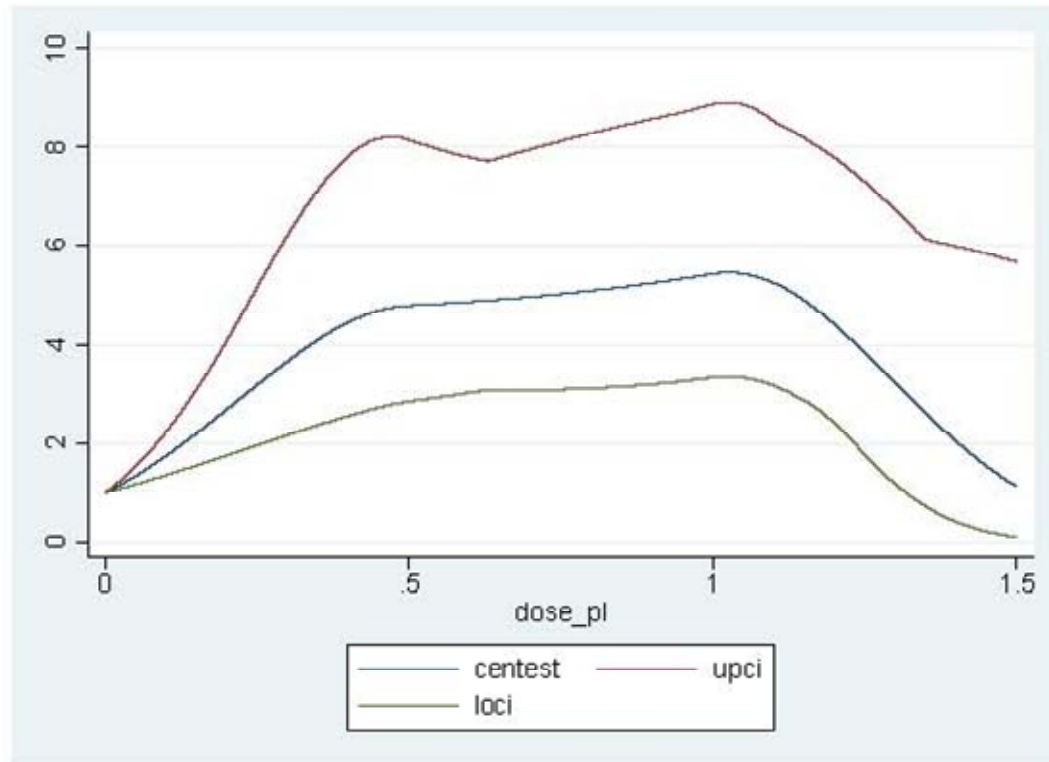
- The real goal is not to define the confidence set  $B$  in the parameter space, but to find the corresponding family of dose response curves

- For any give dose  $x$  and parameter vector  $\beta_1, \dots, \beta_k$ , the corresponding log odds-ratio curve has value

$$\Psi(x) = \sum_{j=1}^k \beta_j \cdot S_j(x)$$

- To find the boundary of the envelope of curves, we need to locate for each  $x$ , the  $\beta$  belonging to  $B$  which maximises or minimises  $\Psi(x)$ :
- Ideally this means locating the points on  $\partial B$  where the tangent space  $T \partial B$  is orthogonal to  $(S_1(x), \dots, S_k(x))$ .
- This is easy when the boundary is ellipsoidal, in general not.
- Practical solution: for each of the uniform boundary points, generate the corresponding curve; then for a set of doses, find the max and min among these curves.

# OR scale, restricted





# Where we are ...

- The approach can be implemented
- But:
  - width is based on the posterior likelihood having a chi-squared distribution ... **which appears not to be true....**
    - ✓ It is the log of the sum over the Monte-Carlo simulations of the *product* of the likelihoods from the conditionally independent case-control sets... *and the usual assumption of asymptotic normality fails.*
  - **confidence intervals appear to be too narrow ...**
    - ✓ and so are those in our previous 1-parameter analyses in nuclear workers and in liquidators ...
  - simulations currently being conducted to determine the distribution of the posterior likelihood